

## Chapter covered: Chapter 8

### Show your work to receive full credit.

### Textbook problems

**Problem 1:** Exercise 8.3, “Projecting Winning Candidate”, Page 340.

**Problem 2:** Exercise 8.13, “Flu Shot”, Page 352.

**Problem 3:** Exercise 8.23, “Chicken breast”, Page 353.

**Problem 4:** Exercise 8.29, “Females’ ideal number of children”, Page 362.

**Problem 5:** Exercise 8.40, “Political views”, Page 364.

**Problem 6:** Exercise 8.48, “Binge drinkers”, Page 373.

**Problem 7:** Exercise 8.52, “Farm Size”, Page 373.

### R Problems

**Problem 1:** Let  $p$  = proportion of students at UofM who like coffee. A survey takes a random sample of 200 students, and 120 of them say they like coffee.

(a) Use the *prop.test* function in R to give both point estimation and 95% confident interval of  $p$ .

(b) Use the formula  $\hat{p} \pm z_{\alpha/2} \sqrt{\frac{\hat{p}(1-\hat{p})}{n}}$  to give 95% confidence interval for  $p$ .

(c) Do you get the same confidence interval in (a) and (b)?

Note: The confidence interval in (a) and (b) are different, that is because they are using different methods to construct confidence intervals. The method in function *prop.test* is called Wilson’s Score method; the method we learned using formula  $\hat{p} \pm z_{\alpha/2} \sqrt{\frac{\hat{p}(1-\hat{p})}{n}}$  is called Simple Asymptotic Method. There are also some other methods to construct confidence intervals for population proportion  $p$ . All of them are correct.

**Problem 2:** You are give 1000 numbers drawn from an unknown population  $X$ , the numbers are listed in the file **hw5\_R\_problem\_2.txt**.

(a) Read this file into R, use:

```
dat = read.table("hw5_R_problem_2.txt")$V1
```

Draw both histogram and boxplot for these 1000 numbers. Describe its center, spread, shape.

(b) Calculate 95% confidence interval for the mean of the unknown population  $X$ , denoted by  $\mu$ , using function *t.test*.

(c) Using formula  $\bar{x} \pm t \frac{s}{\sqrt{n}}$  to construct the 95% confidence interval for  $\mu$ . Do you get the same result as (b)? (Note: Be careful with the degree of freedom).